

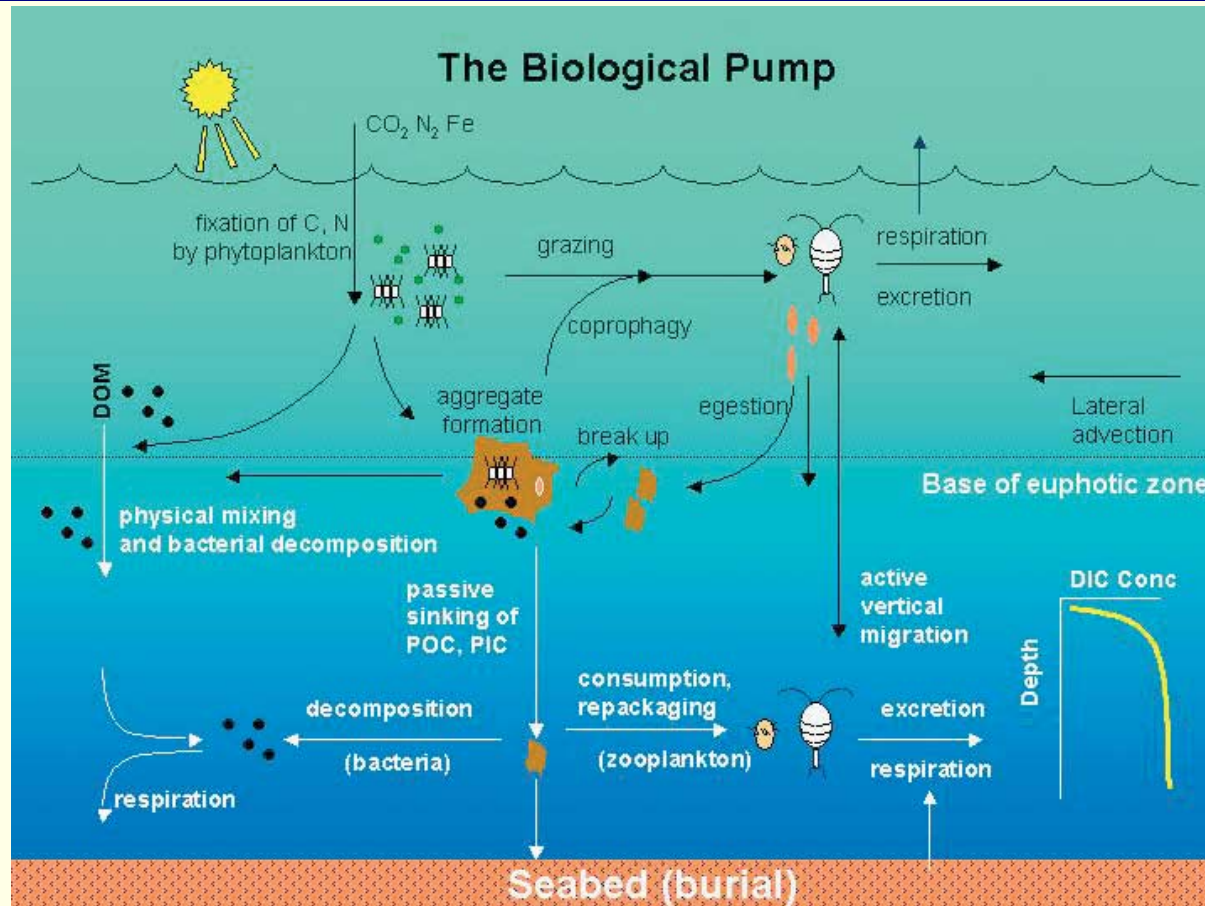
Modelling the biological pump

Christoph Völker

Alfred Wegener Institute for Polar and Marine Research,
Bremerhaven, Germany

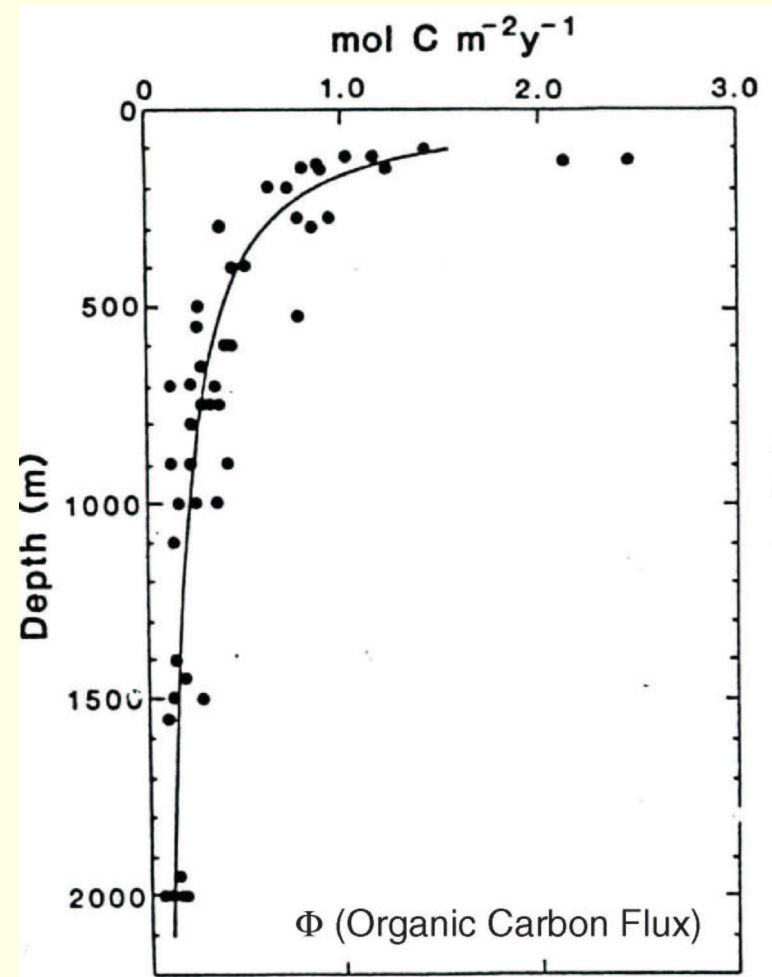
December 6, 2005

the biological pumps

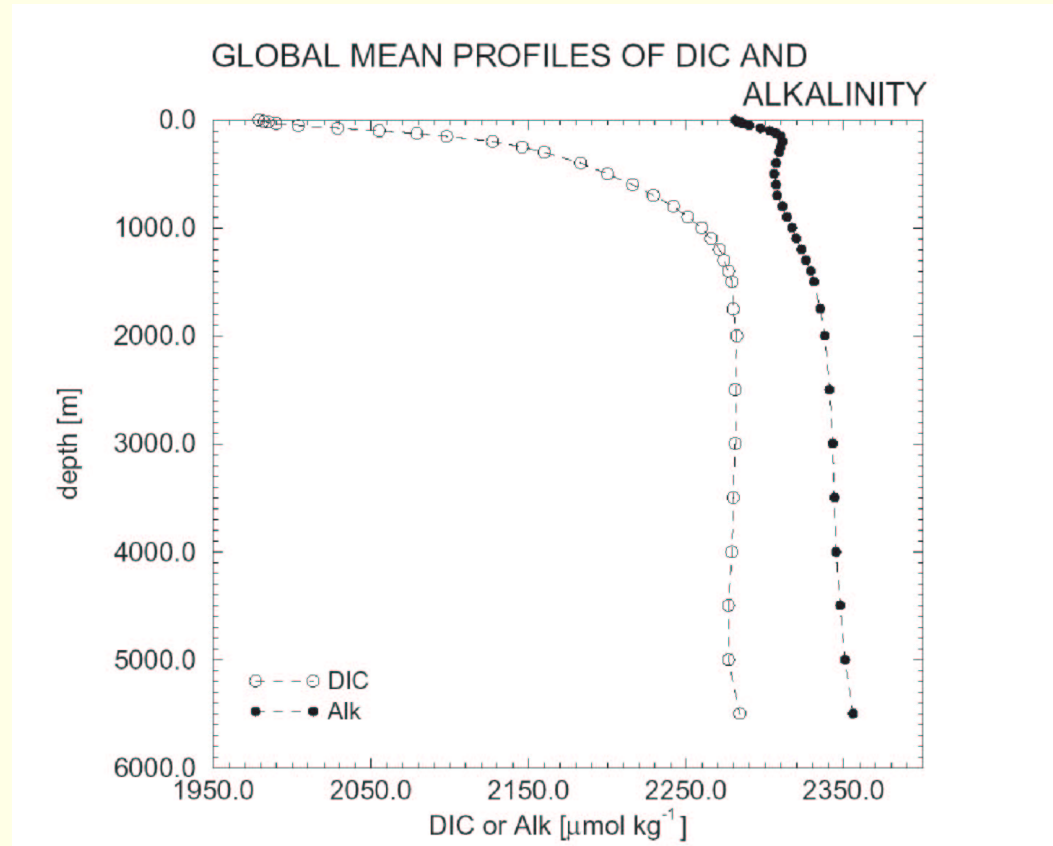


the biological pumps

Vertical flux of carbon versus depth from sediment traps

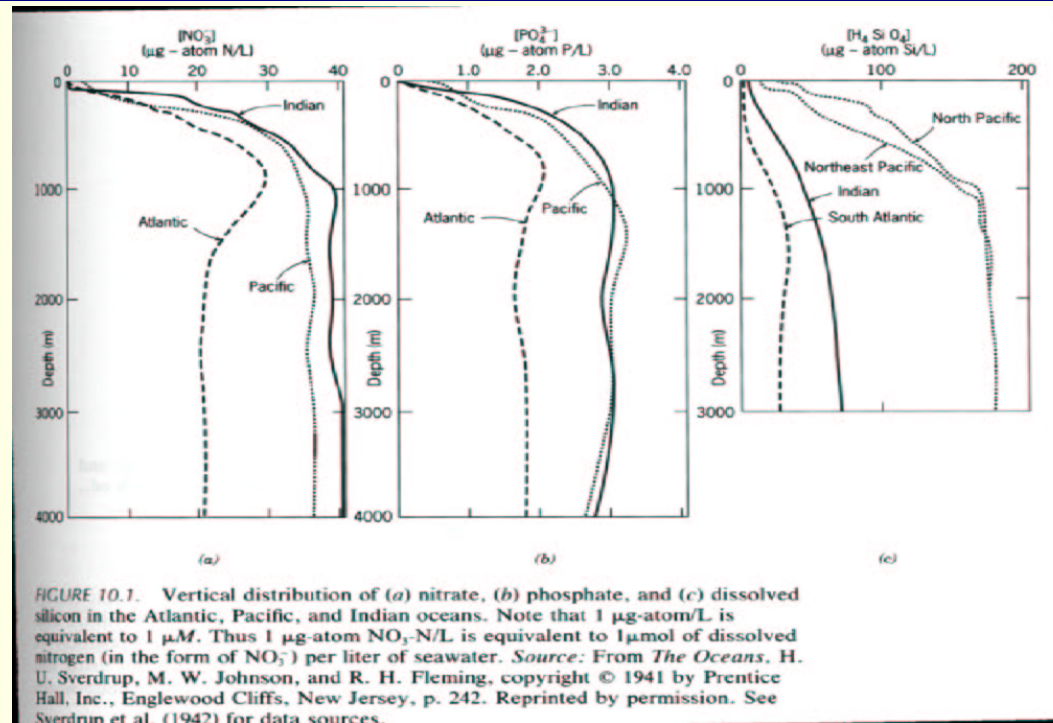


the biological pumps

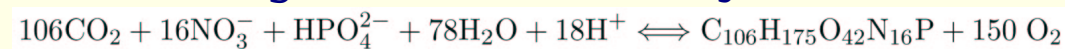


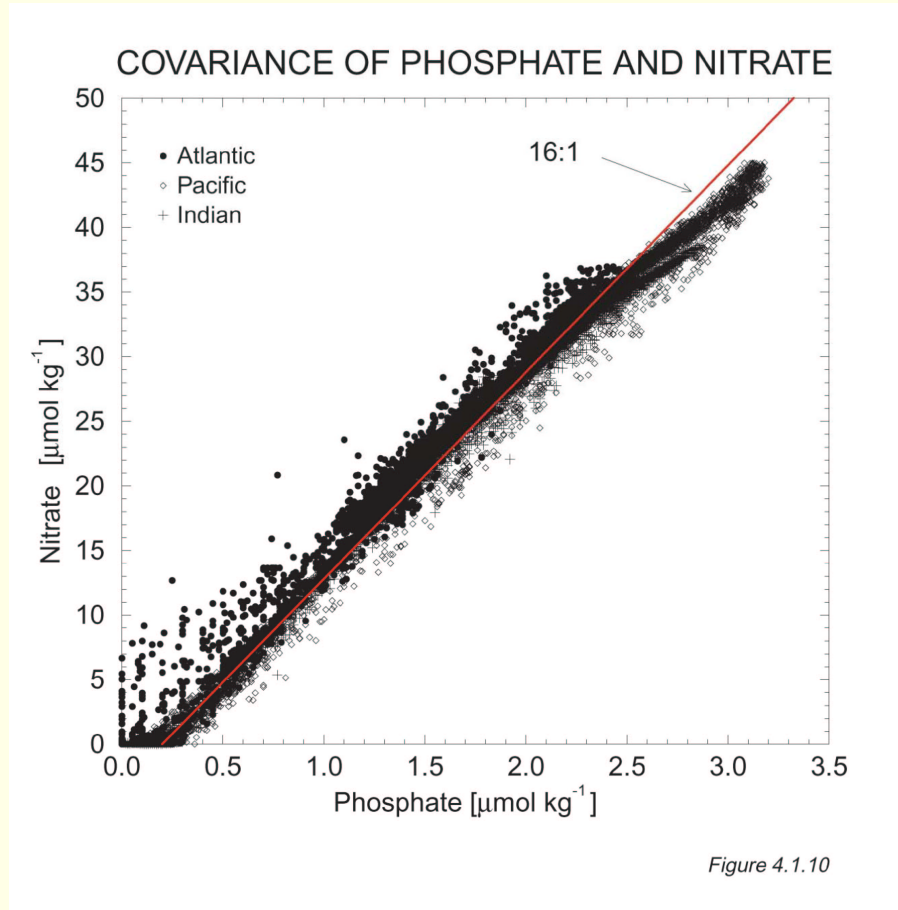
results in vertical gradients of dissolved inorganic carbon and alkalinity

the biological pumps

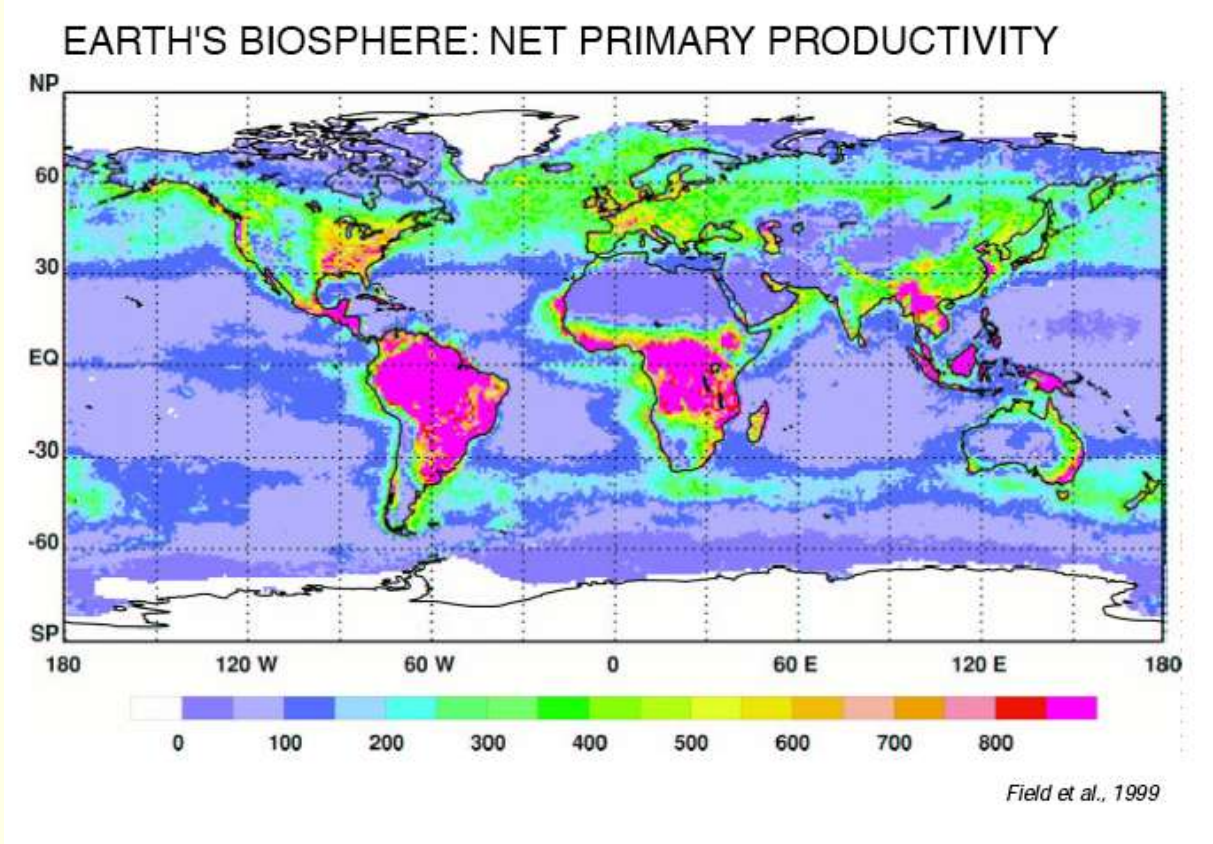


vertical gradients also in major nutrients

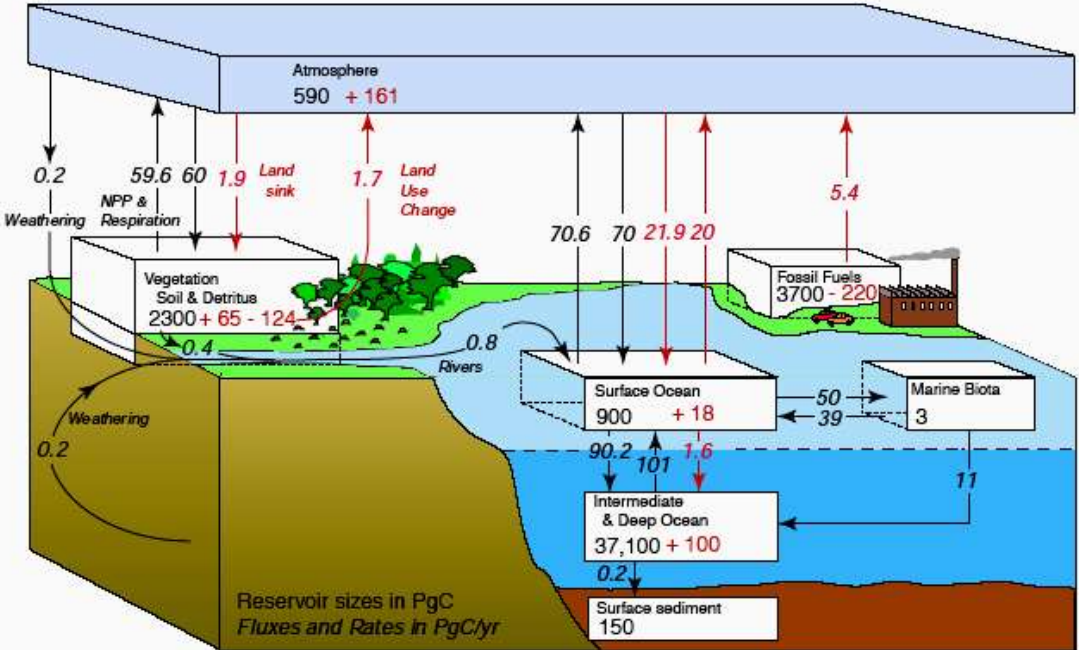




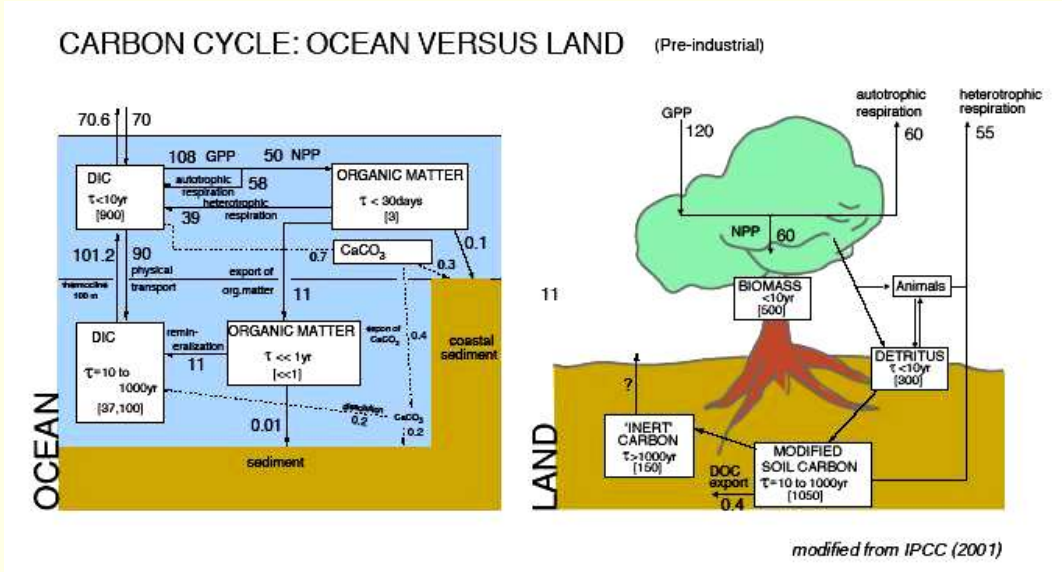
primary production



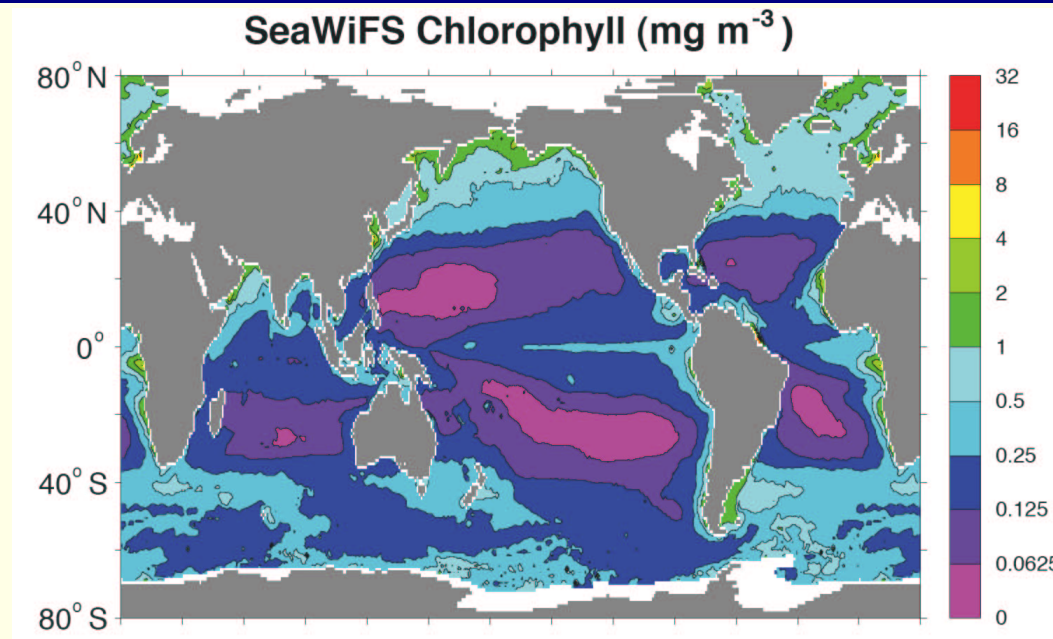
THE GLOBAL CARBON CYCLE AND ITS ANTHROPOGENIC PERTURBATION



primary production



primary production

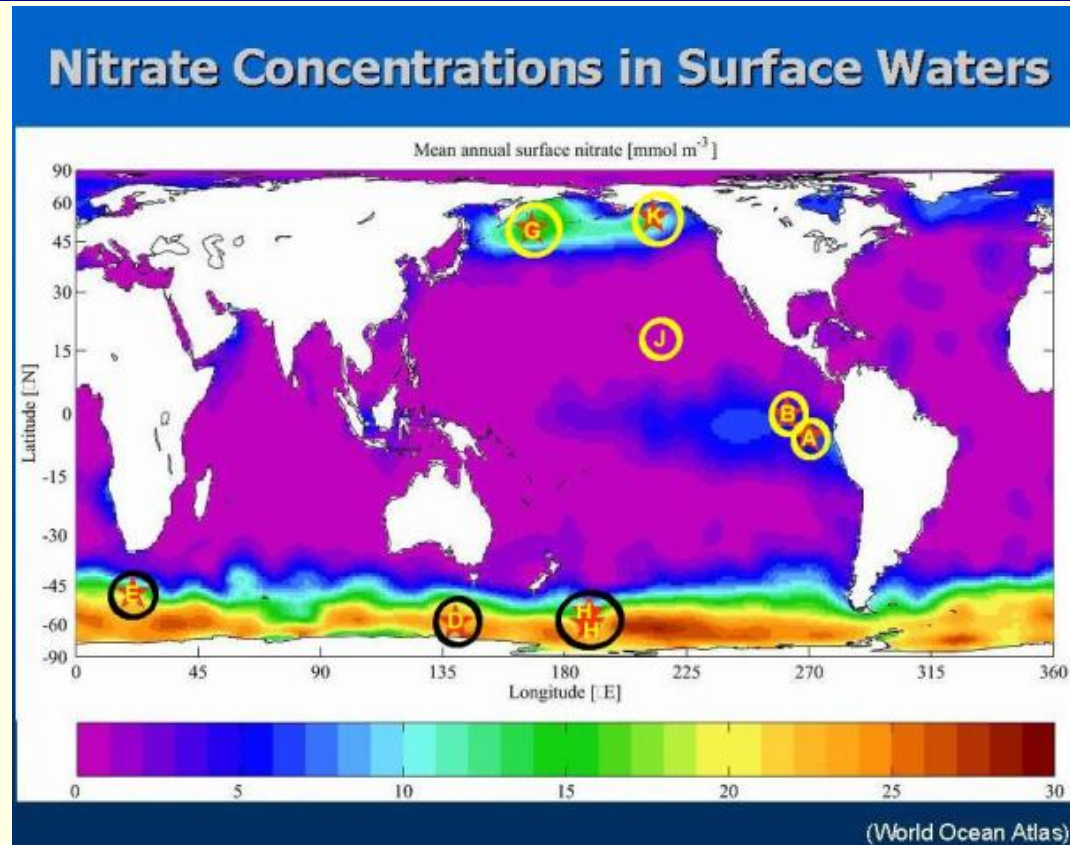


Chlorophyll is not evenly distributed: large oceanic deserts in the subtropical gyres

What controls distribution of primary productivity?

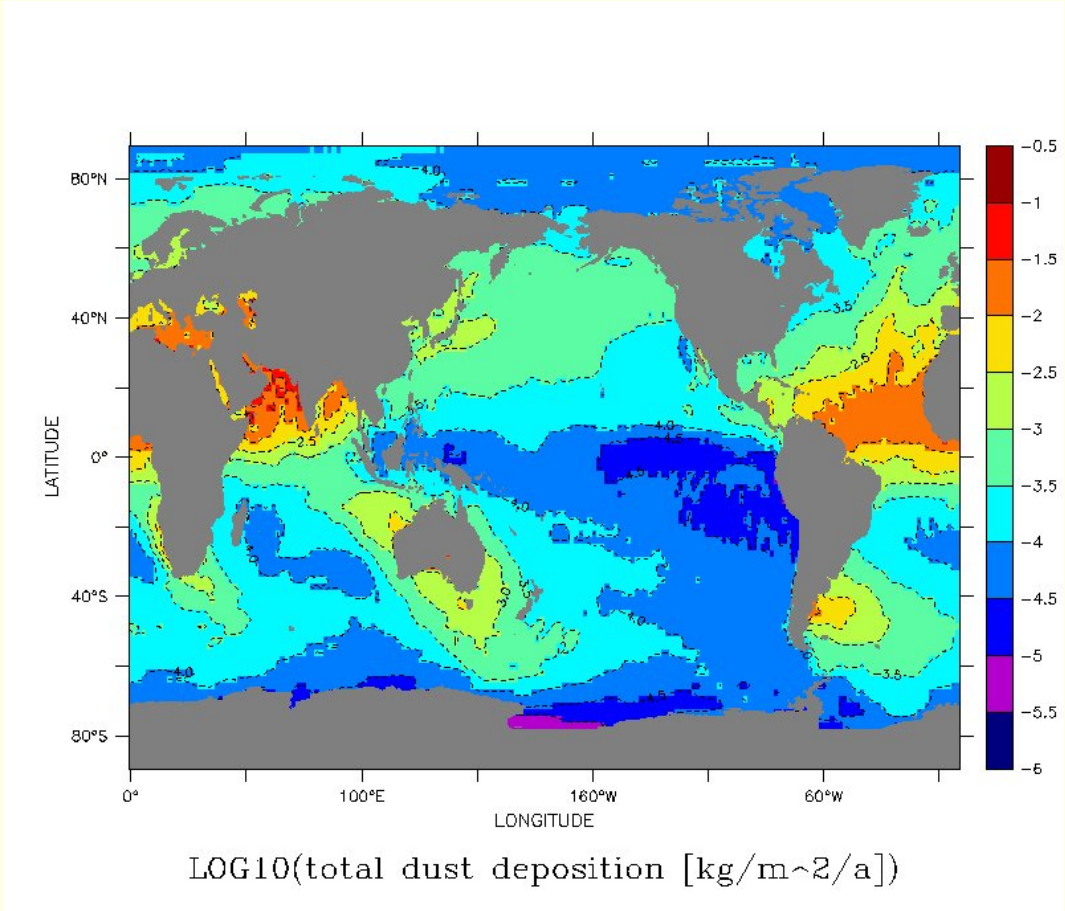
- Nutrients: mainly available where upwelling or deep mixing brings up nutrient-rich deep water
- Light: At the surface of the ocean (euphotic zone)
- Iron and other micronutrients
- Grazing

primary production



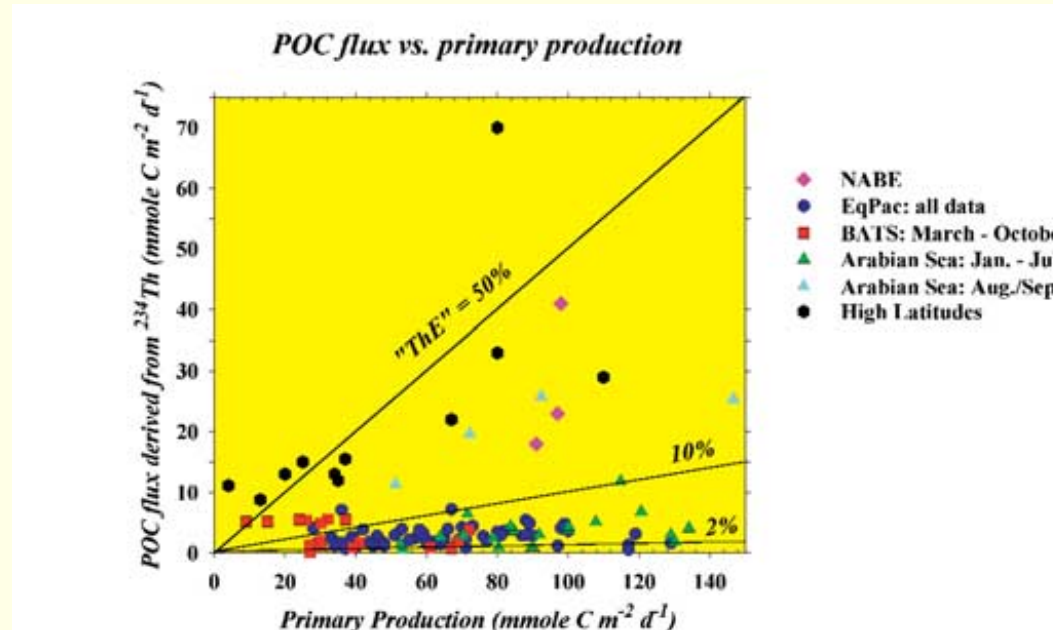
There are large areas in the world ocean, where nitrate is available, yet not much chlorophyll is found. Why?

primary production



the main source of iron: dust deposition (logarithmic)

fate of organic matter



Only very little of the biomass produced in the euphotic zone sinks into the deep ocean

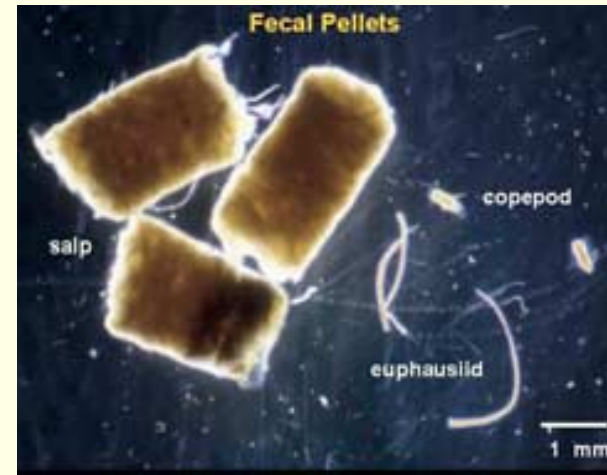
What happens with the biomass produced by photosynthesis?

- Most gets eaten by heterotrophs, such as copepods, but also heterotrophic unicellular plankton
- There is some production of dissolved organic carbon
- Viral lysis
- ...



What happens with the rest that escapes being eaten?

- It sinks
- The larger the particle is, the faster it sinks
- Fecal pellets and aggregates are the ones most likely to sink deep



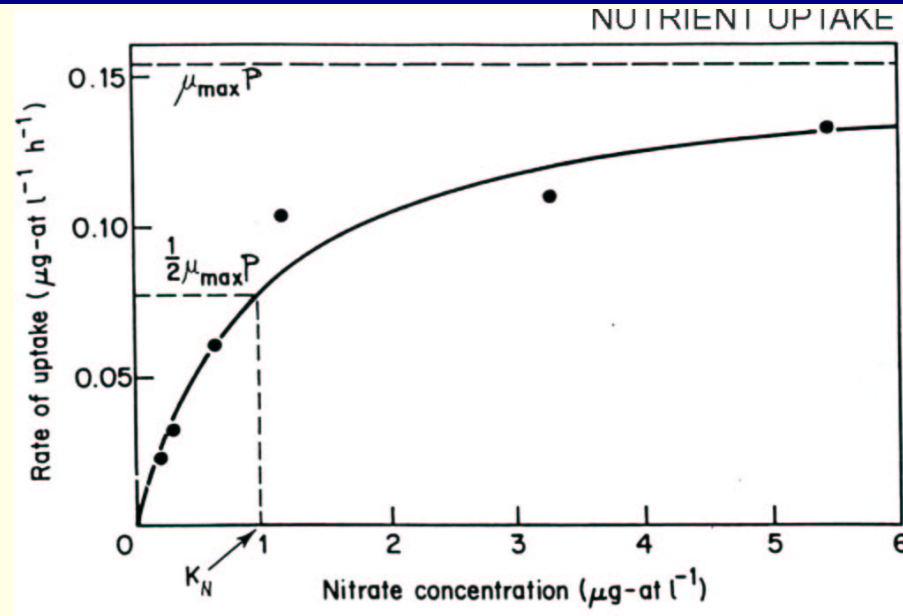
Modelling the biological pumps is necessary e.g. if we want to study influence of climate on them.

How can one model primary productivity? Usually as equation for growth

$$\frac{d}{dt}P = \mu P \quad (1)$$

Where the growth rate μ depends on nutrients and light.

modelling the biological pump



Nutrient dependency of growth: Usually a Michaelis-Menten formulation is adopted

$$\mu = \mu_{max} \frac{N}{K_N + N} \quad (2)$$

modelling the biological pump

